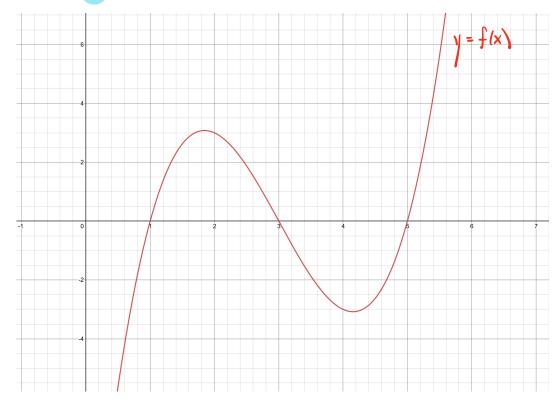
\$2.3 Geffing information from the Graph of a function

ex. Use the GRAPH y=f(x) to FIND

https://www.desmos.com/ calculator/uhpaqhvulo

- (a) f(2), f(4), f(5)(b) The New CHANGE IN f FROM 2 10 5. (c) ALL VALUES OF X Such THAI f(x) = -2

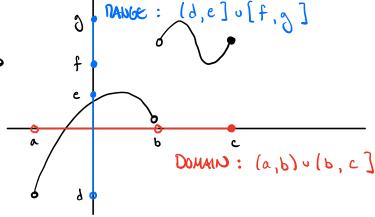


THE VALUE FLA) IS THE HEIGHT OF THE POINT ON THE GRAPH y = f(x)ABONE (POSITIVE) OR BELOW (NEGAME) THE PULL a ON THE X-AXIS

DOMANN & NANGE: THE DOMAIN OF & IS THE SEL OF ALL X-VALUES FOR WHICH f is DEFINED. THE NAME OF f is the SCI OF ALL cornestouding y-values.

DOMAIN = SHADOW OF GRAPH ON X-AXIS

RANGE = SHADOW OF GNATH OW Y-AXIS

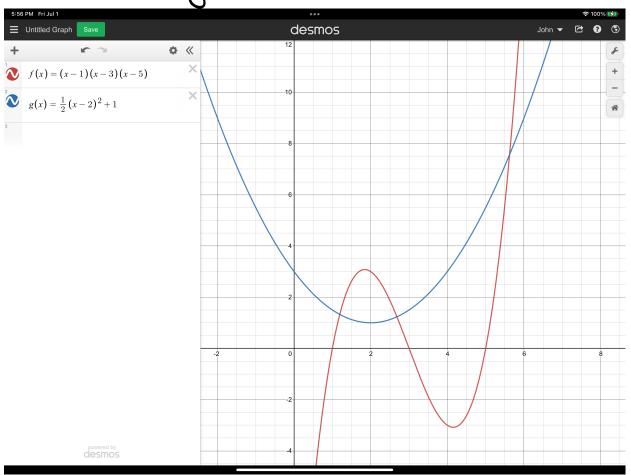


ex. let
$$f(x) = (x-1)(x-3)(x-5)$$
 \(\hat{\x} \g(x) = \frac{1}{2}(x-2)^2 - 1

Use THE GRAPHS OF F & a To APPROXIMATE THE VALUES OF X SUCH THAT

(c) f(x) = g(x)

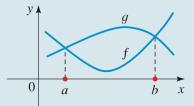
https://www.desmos.com/calculator/uhpaqhvulo



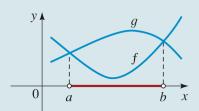
SOLVING EQUATIONS AND INEQUALITIES GRAPHICALLY

The **solution(s) of the equation** f(x) = g(x) are the values of x where the graphs of f and g intersect.

The **solution(s) of the inequality** f(x) < g(x) are the values of x where the graph of g is higher than the graph of f.

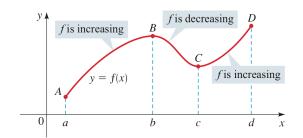


The solutions of f(x) = g(x) are the values a and b.



The solution of f(x) < g(x) is the interval (a, b).

INCREASING/DECREASING, MAX/MIN



BY convention, intervals of increments with emploints with emploints

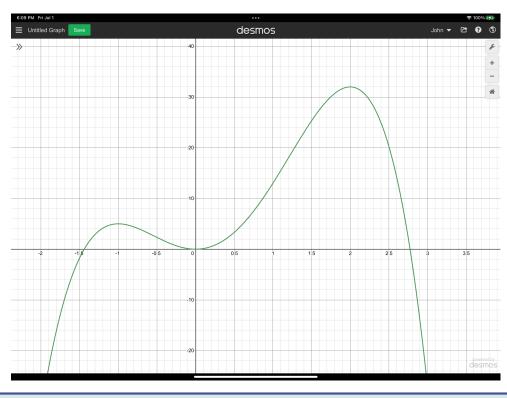
FIGURE 5 f is increasing on (a, b) and (c, d); f is decreasing on (b, c)

ex. Use the GRAPH OF $h(x) = 12x^2 + 4x^3 - 3x^4$ to determine

(a) THE DOMAIN & NANCE OF h

(b) THE INTERVALS ON WHICH IT IS INCREASING/ DECREASING

(c) ALL LOCAL MAXIMUM VALUES of h



https://www.desmos.com/calculator/uhpaqhvulo

LOCAL MAXIMA AND MINIMA OF A FUNCTION

1. The function value f(a) is a local maximum value of f if

$$f(a) \ge f(x)$$
 when x is near a

(This means that $f(a) \ge f(x)$ for all x in some open interval containing a.) In this case we say that f has a **local maximum** at x = a.

2. The function value f(a) is a **local minimum value** of f if

$$f(a) \le f(x)$$
 when x is near a

(This means that $f(a) \le f(x)$ for all x in some open interval containing a.) In this case we say that f has a **local minimum** at x = a.

